

Tabella VI

Coordinate \bar{x} e \bar{y} del baricentro, area della superficie o lunghezza della linea

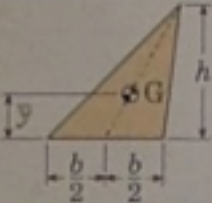
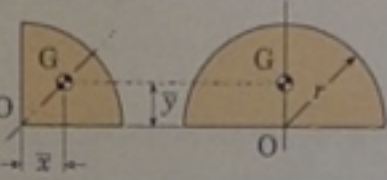
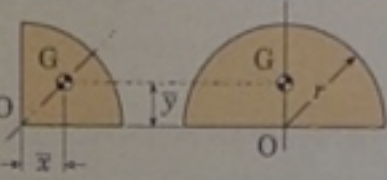
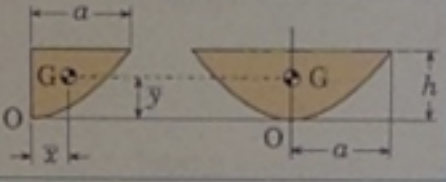
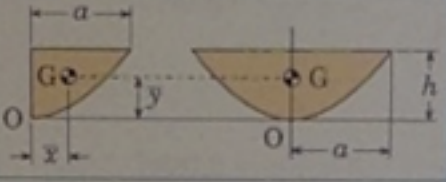
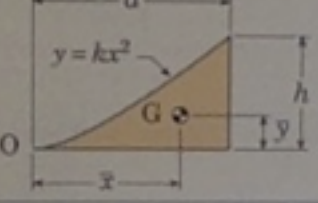
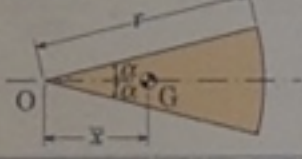
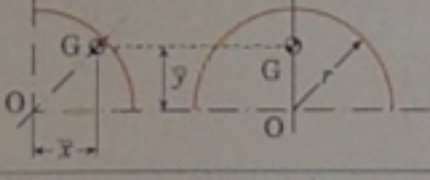
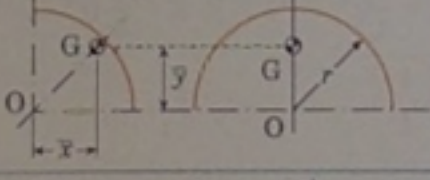
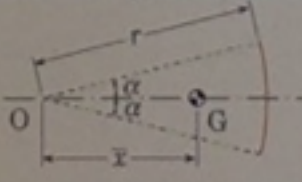
Forma		\bar{x}	\bar{y}	Area o lunghezza
SUPERFICI	Area triangolare 		$\frac{h}{3}$	$\frac{bh}{2}$
	Area di un quarto di cerchio 	$\frac{4r}{3\pi}$	$\frac{4r}{3\pi}$	$\frac{\pi r^2}{4}$
	Area di un semicerchio 	0	$\frac{4r}{3\pi}$	$\frac{\pi r^2}{2}$
	Area di una semiparabola 	$\frac{3a}{8}$	$\frac{3h}{5}$	$\frac{2ah}{3}$
	Area parabolica 	0	$\frac{3h}{5}$	$\frac{4ah}{3}$
	Triangolo parabolico 	$\frac{3a}{4}$	$\frac{3h}{10}$	$\frac{ah}{3}$
LINEE	Settore circolare 	$\frac{2r \sin \alpha}{3\alpha}$	0	αr^2
	Arco di un quarto di circonferenza 	$\frac{2r}{\pi}$	$\frac{2r}{\pi}$	$\frac{\pi r}{2}$
	Arco di semicirconferenza 	0	$\frac{2r}{\pi}$	πr
	Arco di circonferenza 	$\frac{r \sin \alpha}{\alpha}$	0	$2\alpha r$

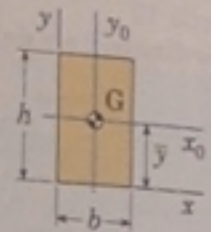
Tabella VII

Momenti di inerzia di superfici: area A , momento di inerzia assiale I , momento di inerzia polare J , modulo di resistenza a flessione Z , raggio di inerzia k e ordinata del baricentro \bar{y} (con x_0 e y_0 assi passanti per il baricentro G)

Rettangolo

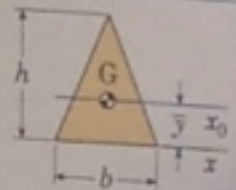
$$A = bh \quad I_{x_0} = \frac{bh^3}{12} \quad Z = \frac{bh^2}{6} \quad k_{x_0} = 0,289h \quad \bar{y} = \frac{h}{2}$$

$$I_{y_0} = \frac{b^3h}{12} \quad I_x = \frac{bh^3}{3} \quad I_y = \frac{b^3h}{3} \quad J_G = \frac{bh(b^2 + h^2)}{12}$$



Triangolo

$$A = \frac{bh}{2} \quad I_{x_0} = \frac{bh^3}{36} \quad Z = \frac{bh^2}{24} \quad k_{x_0} = 0,236h \quad \bar{y} = \frac{h}{3} \quad I_x = \frac{bh^3}{12}$$



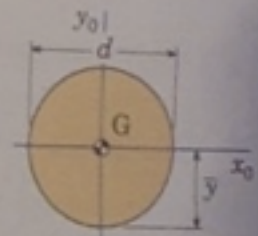
Cerchio in funzione del diametro d oppure del raggio r

$$A = \frac{\pi d^2}{4} \quad I_{x_0} = I_{y_0} = \frac{\pi d^4}{64} \quad Z = \frac{\pi d^3}{32} = 0,1d^3$$

$$J_G = \frac{\pi d^4}{32} \quad k_{x_0} = \frac{d}{4} \quad \bar{y} = \frac{d}{2}$$

$$A = \pi r^2 \quad I_{x_0} = I_{y_0} = \frac{\pi r^4}{4} \quad Z = \frac{\pi r^3}{4} = 0,785r^2$$

$$J_G = \frac{\pi r^4}{2} \quad k_{x_0} = \frac{r}{2} \quad \bar{y} = r$$



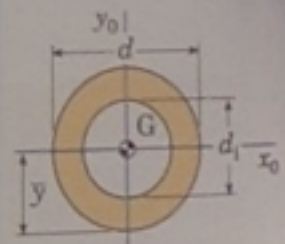
Corona circolare in funzione dei diametri esterno d ed interno d_1 oppure dei raggi esterno r e interno r_1

$$A = \frac{\pi}{4}(d^2 - d_1^2) \quad I_{x_0} = I_{y_0} = \frac{\pi}{64}(d^4 - d_1^4) \quad Z = \frac{\pi}{32d}(d^4 - d_1^4)$$

$$J_G = \frac{\pi}{32}(d^4 - d_1^4) \quad k_{x_0} = \sqrt{\frac{d^2 + d_1^2}{16}} \quad \bar{y} = \frac{d}{2}$$

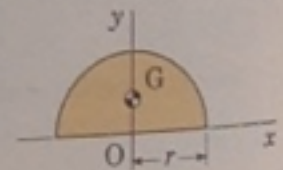
$$A = \pi(r^2 - r_1^2) \quad I_{x_0} = I_{y_0} = \frac{\pi}{4}(r^4 - r_1^4) \quad Z = \frac{\pi}{4r}(r^4 - r_1^4)$$

$$J_G = \frac{\pi}{2}(r^4 - r_1^4) \quad k_{x_0} = \sqrt{\frac{r^2 + r_1^2}{4}} \quad \bar{y} = r$$



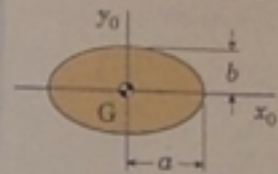
Semicerchio

$$I_x = I_y = \frac{\pi r^4}{8} \quad J_O = \frac{\pi r^4}{4}$$



Ellisse

$$I_{x_0} = \frac{\pi ab^3}{4} \quad I_{y_0} = \frac{\pi a^3 b}{4} \quad J_G = \frac{\pi ab(a^2 + b^2)}{4}$$



Sezione a T

$$A = bs + ht \quad \bar{y} = d - \frac{d^2 t + s^2(b-t)}{2(bs+ht)}$$

$$I_{x_0} = \frac{1}{3} [t\bar{y}^3 + b(d-\bar{y})^3 - (b-t)(d-\bar{y}-s)^3] \quad Z = \frac{I_{x_0}}{\bar{y}} \quad k_{x_0} = \sqrt{\frac{I_{x_0}}{A}}$$



Sezione a doppio T

$$A = bd - h(b-t) \quad \bar{y} = \frac{d}{2}$$

$$I_{x_0} = \frac{bd^3 - h^3(b-t)}{12} \quad Z = \frac{bd^3 - h^3(b-t)}{6d} \quad k_{x_0} = \sqrt{\frac{I_{x_0}}{A}}$$

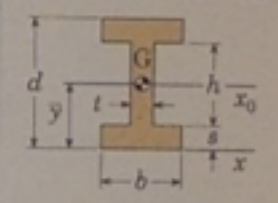
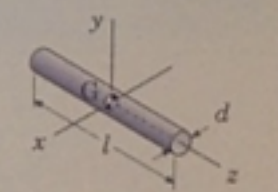


Tabella VIII

Massa m e momenti di inerzia di massa I di corpi solidi (ρ massa volumica del corpo)

Barra

$$m = \frac{\pi d^2 l}{4} \rho \quad I_{xx} = I_{yy} = \frac{ml^2}{12}$$



Disco circolare sottile in funzione del diametro d oppure del raggio r

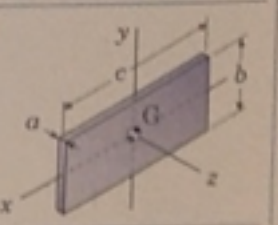
$$m = \frac{\pi d^2 s}{4} \rho \quad I_{zz} = \frac{md^2}{8} \quad I_{xx} = I_{yy} = \frac{md^2}{16}$$

$$m = \pi r^2 s \rho \quad I_{zz} = \frac{mr^2}{2} \quad I_{xx} = I_{yy} = \frac{mr^2}{4}$$



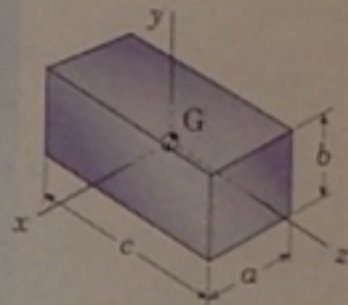
Piastra rettangolare sottile

$$m = abc\rho \quad I_{zz} = \frac{m(b^2 + c^2)}{12} \quad I_{xx} = \frac{mb^2}{12} \quad I_{yy} = \frac{mc^2}{12}$$



Prisma rettangolare

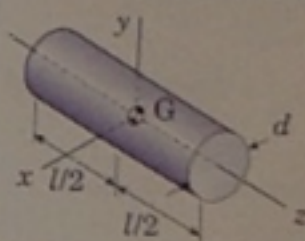
$$m = abc\rho \quad I_{zz} = \frac{m(a^2 + b^2)}{12} \quad I_{xx} = \frac{m(b^2 + c^2)}{12} \quad I_{yy} = \frac{m(a^2 + c^2)}{12}$$



Cilindro in funzione del diametro d oppure del raggio r

$$m = \frac{\pi d^2 l}{4} \rho \quad I_{zz} = \frac{m d^2}{8} \quad I_{xx} = I_{yy} = \frac{m(3d^2 + 4l^2)}{48}$$

$$m = \pi r^2 l \rho \quad I_{zz} = \frac{m r^2}{2} \quad I_{xx} = I_{yy} = \frac{m(3r^2 + l^2)}{12}$$



Cilindro cavo in funzione dei diametri esterno d_e ed interno d_i oppure dei raggi esterno r_e ed interno r_i

$$m = \frac{\pi l}{4} (d_e^2 - d_i^2) \rho \quad I_{zz} = \frac{m}{8} (d_e^2 - d_i^2) \quad I_{xx} = I_{yy} = \frac{m}{48} (3d_e^2 + d_i^2 + 4l^2)$$

$$m = \pi l (r_e^2 - r_i^2) \rho \quad I_{zz} = \frac{m}{2} (r_e^2 - r_i^2) \quad I_{xx} = I_{yy} = \frac{m}{12} (3r_e^2 + 3r_i^2 + l^2)$$



Sfera

$$m = \frac{4\pi r^3}{3} \rho \quad I_{zz} = I_{xx} = I_{yy} = \frac{2}{5} m r^2$$

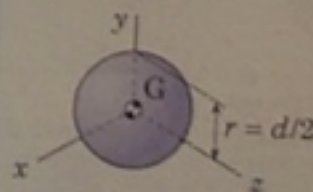


Tabella II Prefissi delle unità di misura SI

Fattore di moltiplicazione	Nome del prefisso	Simbolo del prefisso
$0,000000000000000001 = 10^{-18}$	atto	a
$0,000000000000000001 = 10^{-15}$	femto	f
$0,0000000000000001 = 10^{-12}$	pico	p
$0,0000000001 = 10^{-9}$	nano	n
$0,000001 = 10^{-6}$	micro	μ
$0,001 = 10^{-3}$	milli	m
$1.000 = 10^3$	kilo	k
$1.000.000 = 10^6$	mega	M
$1.000.000.000 = 10^9$	giga	G
$1.000.000.000.000 = 10^{12}$	tera	T
$1.000.000.000.000.000 = 10^{15}$	petta	P
$1.000.000.000.000.000.000 = 10^{18}$	exa	E

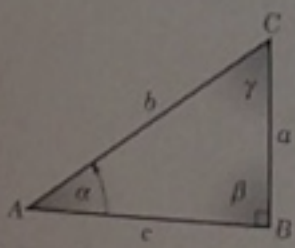
Tabella III Grandezze importanti

Accelerazione di gravità	9,81 m/s ²
Massa volumica dell'acqua (a 4 °C)	1000 kg/m ³ = 1,0 Mg/m ³
Pressione atmosferica standard al livello del mare	101,32 kN/m ² = 101,32 kPa
Massa volumica dell'acciaio	7850 kg/m ³ = 7,85 Mg/m ³
Modulo di elasticità dell'acciaio	206.000 N/mm ² = 206.000 MPa = 206 GPa
Massa volumica dell'aria (a 0 °C e 101,32 kPa)	1,29 kg/m ³
Velocità del suono nell'aria (a 20 °C)	343 m/s

Aria standard				
	Azoto [%]	Ossigeno [%]	Azoto/Ossigeno	Aria/Ossigeno
Volume	79,0	21,0	3,76	4,76
Massa	76,8	23,2	3,31	4,31

Umidità specifica: $x = 0,013$ kg di acqua/kg di aria secca
 Massa molare equivalente $M = 28,97$ kg/kmol ≈ 29 kg/kmol
 Massa volumica (0 °C e 101,32 kPa) = 1,29 kg/m³

Tabella IV Formule di base del triangolo rettangolo



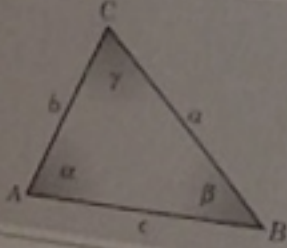
Teorema di Pitagora: $b^2 = a^2 + c^2$

Seno dell'angolo α : $\sin \alpha = \frac{a}{b}$

Coseno dell'angolo α : $\cos \alpha = \frac{c}{b}$

Tangente dell'angolo α : $\tan \alpha = \frac{a}{c}$

Tabella V Formule di base del triangolo qualunque



Teorema del coseno (o di Carnot): $b^2 = a^2 + c^2 - 2ac \cos \beta$

Teorema dei seni (o di Eulero): $\frac{a}{\sin \alpha} = \frac{b}{\sin \beta} = \frac{c}{\sin \gamma}$

